# TOXICOLOGICAL REVIEW 

OF

## TRICHLOROETHYLENE

## APPENDIX H

(CAS No. 79-01-6)

In Support of Summary Information on the Integrated Risk Information System (IRIS)

September 2011

## H. LIFETABLE ANALYSIS AND WEIGHTED LINEAR REGRESSION BASED ON RESULTS FROM CHARBOTEL ET AL. (2006)

## H.1. LIFETABLE ANALYSIS

A spreadsheet illustrating the extra-risk calculation for the derivation of the lower 95\% bound on the effective concentration associated with a $1 \%$ extra risk ( $\mathrm{LEC}_{01}$ ) for RCC incidence is presented in Table $\mathrm{H}-1$.

## H.2. EQUATIONS USED FOR WEIGHTED LINEAR REGRESSION OF RESULTS FROM CHARBOTEL ET AL. (2006) [SOURCE: ROTHMAN (1986), P. 343-344]

Linear model: $\mathrm{RR}=1+b X$
where $\mathrm{RR}=$ risk ratio, $X=$ exposure, and $b=$ slope.
$b$ can be estimated from the following equation:

$$
\begin{equation*}
\hat{b}=\frac{\sum_{j=2}^{n} w_{j} x_{j} R \hat{R}_{j}-\sum_{j=2}^{n} w_{j} x_{j}}{\sum_{j=2}^{n} w_{j} x_{j}^{2}} \tag{Eq.H-1}
\end{equation*}
$$

where $j$ specifies the exposure category level and the reference category $(j=1)$ is ignored.
The standard error of the slope can be estimated as follows:

$$
\begin{equation*}
S E(\hat{b}) \approx \sqrt{\frac{1}{\sum_{j=2}^{n} w_{j} x_{j}^{2}}} \tag{Eq.H-2}
\end{equation*}
$$

The weights, $w_{j}$, are estimated from the CIs (as the inverse of the variance):

$$
\begin{equation*}
\operatorname{Var}\left(R \hat{R}_{j}\right) \approx R \hat{R}_{j}{ }^{2} \operatorname{Var}\left[\ln \left(R \hat{R}_{j}\right)\right] \approx R \hat{R}_{j}{ }^{2} \times\left[\frac{\ln \left(\overline{R R}_{j}\right)-\ln \left(\underline{R R}_{j}\right)}{2 \times 1.96}\right]^{2} \tag{Eq.H-3}
\end{equation*}
$$

where $\overline{R R}_{j}$ is the $95 \%$ upper bound on the $R R_{j}$ estimate (for the $j$ th exposure category) and $\underline{R R_{j}}$ is the $95 \%$ lower bound on the $R R_{j}$ estimate.

Table H-1. Extra-risk calculation ${ }^{\text {a }}$ for environmental exposure to $\mathbf{1 . 8 2} \mathbf{~ p p m ~ T C E ~ ( t h e ~ L E C ~} \mathbf{0 1}^{01}$ for RCC incidence) ${ }^{\text {b }}$ using a linear exposure-response model based on the categorical cumulative exposure results of Charbotel et al. (2006), as described in Section 5.2.2.1.2.

| A | B | C | D | E | F | G | H | I | J | K | L | M | N | 0 | $\mathbf{P}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Interval number <br> (i) | Age interval | All cause mortality $\left(\times 10^{5} / \mathrm{yr}\right)$ | $\begin{gathered} \text { RCC } \\ \text { incidence } \\ \left(\times 10^{5} / \mathbf{y r}\right) \end{gathered}$ | All <br> cause hazard rate ( $\boldsymbol{h}^{*}$ ) | Prob. of surviving interval (q) | Prob. of surviving up to interval (S) | RCC cancer hazard rate (h) | Cond. prob. of RCC incidence in interval (Ro) | Exp. <br> duration <br> mid interval (xtime) | Cum. exp. mid interval (xdose) | Exposed RCC hazard rate (hx) | Exposed all cause hazard rate $\left(h^{*} x\right)$ | Exposed prob. of surviving interval (qx) | Exposed prob. of surviving up to interval (Sx) | Exposed cond. prob. of RCC in interval (Rx) |
| 1 | $<1$ | 685.2 | 0 | 0.0069 | 0.9932 | 1.0000 | 0.000000 | 0.000000 | 0.5 | 2.77 | 0.000000 | 0.0069 | 0.9932 | 1.0000 | 0.000000 |
| 2 | 1-4 | 29.9 | 0 | 0.0012 | 0.9988 | 0.9932 | 0.000000 | 0.000000 | 3 | 16.61 | 0.000000 | 0.0012 | 0.9988 | 0.9932 | 0.000000 |
| 3 | 5-9 | 14.7 | 0 | 0.0007 | 0.9993 | 0.9920 | 0.000000 | 0.000000 | 7.5 | 41.52 | 0.000000 | 0.0007 | 0.9993 | 0.9920 | 0.000000 |
| 4 | 10-14 | 18.7 | 0.1 | 0.0009 | 0.9991 | 0.9913 | 0.000005 | 0.000005 | 12.5 | 69.20 | 0.000006 | 0.0009 | 0.9991 | 0.9913 | 0.000006 |
| 5 | 15-19 | 66.1 | 0.1 | 0.0033 | 0.9967 | 0.9903 | 0.000005 | 0.000005 | 17.5 | 96.88 | 0.000006 | 0.0033 | 0.9967 | 0.9903 | 0.000006 |
| 6 | 20-24 | 94 | 0.2 | 0.0047 | 0.9953 | 0.9871 | 0.000010 | 0.000010 | 22.5 | 124.56 | 0.000013 | 0.0047 | 0.9953 | 0.9871 | 0.000013 |
| 7 | 25-29 | 96 | 0.7 | 0.0048 | 0.9952 | 0.9824 | 0.000035 | 0.000034 | 27.5 | 152.24 | 0.000049 | 0.0048 | 0.9952 | 0.9824 | 0.000048 |
| 8 | 30-34 | 107.9 | 1.6 | 0.0054 | 0.9946 | 0.9777 | 0.000080 | 0.000078 | 32.5 | 179.91 | 0.000117 | 0.0054 | 0.9946 | 0.9777 | 0.000114 |
| 9 | 35-39 | 151.7 | 3.2 | 0.0076 | 0.9924 | 0.9725 | 0.000160 | 0.000155 | 37.5 | 207.59 | 0.000245 | 0.0077 | 0.9924 | 0.9724 | 0.000237 |
| 10 | 40-44 | 231.7 | 6.3 | 0.0116 | 0.9885 | 0.9651 | 0.000315 | 0.000302 | 42.5 | 235.27 | 0.000504 | 0.0118 | 0.9883 | 0.9650 | 0.000484 |
| 11 | 45-49 | 352.3 | 11 | 0.0176 | 0.9825 | 0.9540 | 0.000550 | 0.000520 | 47.5 | 262.95 | 0.000919 | 0.0180 | 0.9822 | 0.9537 | 0.000869 |
| 12 | 50-54 | 511.7 | 17.3 | 0.0256 | 0.9747 | 0.9373 | 0.000865 | 0.000801 | 52.5 | 290.63 | 0.001507 | 0.0262 | 0.9741 | 0.9367 | 0.001393 |
| 13 | 55-59 | 734.8 | 26.2 | 0.0367 | 0.9639 | 0.9137 | 0.001310 | 0.001175 | 57.5 | 318.31 | 0.002375 | 0.0378 | 0.9629 | 0.9124 | 0.002127 |
| 14 | 60-64 | 1,140.1 | 36.2 | 0.0570 | 0.9446 | 0.8807 | 0.001810 | 0.001549 | 62.5 | 345.99 | 0.003409 | 0.0586 | 0.9431 | 0.8786 | 0.002909 |
| 15 | 65-69 | 1,727.4 | 44.6 | 0.0864 | 0.9173 | 0.8319 | 0.002230 | 0.001777 | 67.5 | 373.67 | 0.004358 | 0.0885 | 0.9153 | 0.8286 | 0.003456 |
| 16 | 70-74 | 2,676.4 | 49 | 0.1338 | 0.8747 | 0.7631 | 0.002450 | 0.001750 | 72.5 | 401.35 | 0.004961 | 0.1363 | 0.8726 | 0.7584 | 0.003518 |
| 17 | 75-59 | 4,193.2 | 51.6 | 0.2097 | 0.8109 | 0.6675 | 0.002580 | 0.001554 | 77.5 | 429.03 | 0.005407 | 0.2125 | 0.8086 | 0.6617 | 0.003223 |
| 18 | 80-84 | 6,717.2 | 44.4 | 0.3359 | 0.7147 | 0.5412 | 0.002220 | 0.001021 | 82.5 | 456.71 | 0.004809 | 0.3384 | 0.7129 | 0.5351 | 0.002183 |
|  |  |  |  |  |  |  | $\boldsymbol{R o}=$ | 0.010736 |  |  |  |  |  | $\boldsymbol{R} \boldsymbol{x}=$ | 0.020586 |
| Extra risk $=(R x-R o) /(1-R o)=0.00996$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

Column A: interval index number (i).
Column B: 5-year age interval (except $<1$ and 1-4) up to age 85.
Column C: all-cause mortality rate for interval $i\left(\times 10^{5} /\right.$ year ) [2004 data from CDC (2007)].
Column D: RCC incidence rate for interval $i\left(\times 10^{5} /\right.$ year $)(2001-2005$ SEER data [http://seer.cancer.gov]).
Column E: all-cause hazard rate for interval $i\left(\mathrm{~h}^{*}\right)$ [= all-cause mortality rate $\times$ number of years in age interval]. ${ }^{\text {c }}$
Column F: probability of surviving interval $i$ without being diagnosed with $\operatorname{RCC}\left(q_{i}\right)\left[=\exp \left(-h_{i}^{*}\right)\right]$.
Column G: probability of surviving up to interval $i$ without having been diagnosed with RCC $\left(S_{i}\right)\left[S_{I}=1 ; S_{i}=S_{i-1} \times q_{i-1}\right.$, for i>1].
Column H: RCC incidence hazard rate for interval $i\left(h_{i}\right)$ [ $=$ RCC incidence rate $\times$ number of years in interval $]$.
Column I: conditional probability of being diagnosed with RCC in interval $i\left[=\left(h_{i} / h_{i}^{*}\right) \times S_{i} \times\left(1-q_{i}\right)\right]$ (i.e., conditional upon surviving up to interval $i$ without having been diagnosed with RCC) [Ro, the background lifetime probability of being diagnosed with $\mathrm{RCC}=$ the sum of the conditional probabilities across the intervals].
Column J: exposure duration (in years) at mid-interval ( $x$ time).
Column K: cumulative exposure mid-interval ( $x$ dose) [ $=$ exposure level (i.e., 1.82 ppm ) $\times 365 / 240 \times 20 / 10 \times x$ time] $(365 / 240 \times 20 / 10$ converts continuous environmental exposures to corresponding occupational exposures).
Column L: RCC incidence hazard rate in exposed people for interval $i\left(h x_{i}\right)\left[=h_{i} \times(1+\beta \times x\right.$ dose $)$, where $\left.\beta=0.001205+(1.645 \times 0.0008195)=0.002554\right][0.001205$ per $\mathrm{ppm} \times$ year is the regression coefficient obtained from the weighted linear regression of the categorical results (see Section 5.2.2.1.2). To estimate the $\mathrm{LEC}_{01}$ (i.e., the $95 \%$ lower bound on the continuous exposure giving an extra risk of $1 \%$ ), the $95 \%$ upper bound on the regression coefficient is used (i.e., MLE + $1.645 \times \mathrm{SE}$ ).
Column M: all-cause hazard rate in exposed people for interval $i\left(h^{*} x_{i}\right)\left[=h_{i}^{*}+\left(h x_{i}-h_{i}\right)\right]$.
Column N : probability of surviving interval $i$ without being diagnosed with RCC for exposed people $\left(q x_{i}\right)\left[=\exp \left(-h^{*} x_{i}\right)\right]$.
Column O: probability of surviving up to interval $i$ without having been diagnosed with RCC for exposed people $\left(S x_{i}\right)\left[S x_{I}=1 ; S x_{i}=S x_{i-1} \times q x_{i-1}\right.$, for i>1].
Column P: conditional probability of being diagnosed with RCC in interval $i$ for exposed people $\left[=\left(h x_{i} / h^{*} x_{i}\right) \times S x_{i} \times\left(1-q x_{i}\right)\right]$ (Rx, the lifetime probability of being diagnosed with RCC for exposed people $=$ the sum of the conditional probabilities across the intervals).
${ }^{a}$ Using the methodology of BEIR IV (1988).
${ }^{\mathrm{b}}$ The estimated $95 \%$ lower bound on the continuous exposure level of TCE that gives a $1 \%$ extra lifetime risk of RCC.
${ }^{\mathrm{c}}$ For the cancer incidence calculation, the all-cause hazard rate for interval $i$ should technically be the rate of either dying of any cause or being diagnosed with the specific cancer during the interval, i.e., the all-cause mortality rate for the interval + the cancer-specific incidence rate for the interval-the cancer-specific mortality rate for the interval [so that a cancer case isn't counted twice, i.e., upon diagnosis and upon death]) $\times$ number of years in interval. This adjustment was ignored here because the RCC incidence rates are small compared with the all-cause mortality rates.

